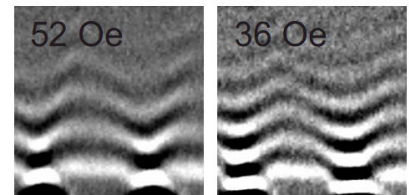


Imaging Magnetization Dynamics

C.H. Back

Universität Regensburg

- Introduction to magnetization dynamics
- Examples:
 - Single modes excited by microwaves
 - Microwave assisted switching
 - Imaging spin wave propagation



- Conclusion



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Korbinian Perzlmaier

Ingo Neudecker

Matthias Buess

Frank Hoffmann

Wolfgang Scheibenzuber

Georg Woltersdorf

Financial support by the DFG through:

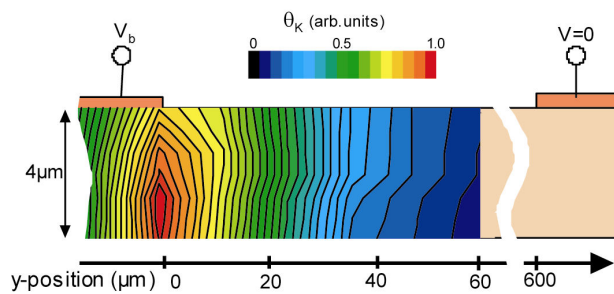
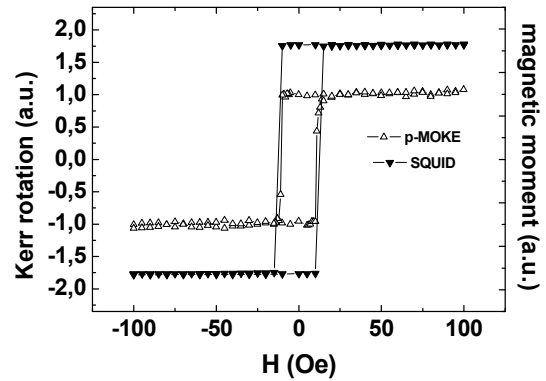
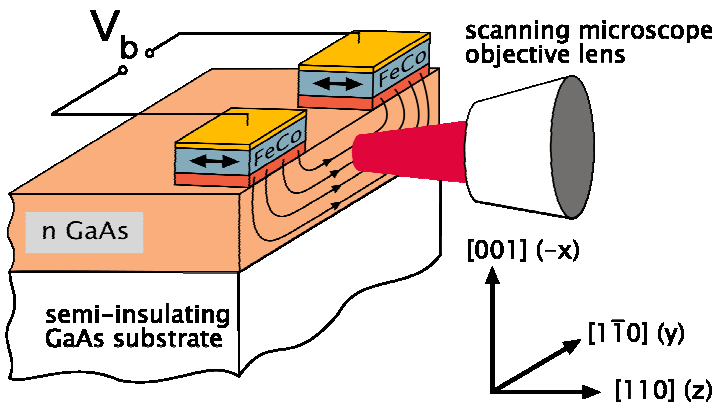
Priority Programme 1133 "Ultra Fast Magnetization Processes,"
SFB 689 „Spin Phenomena in Reduced Dimensions“



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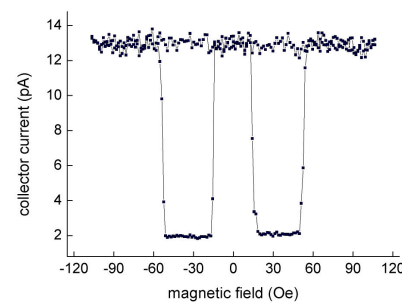
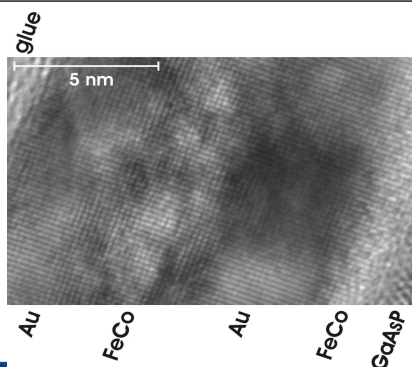
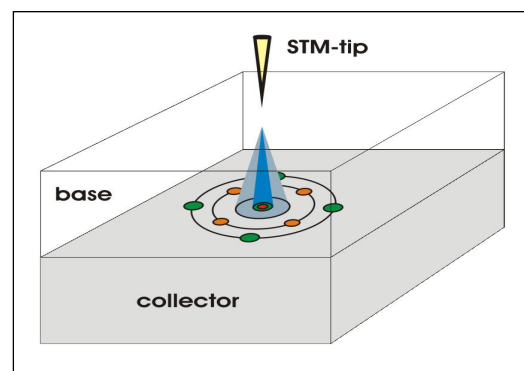
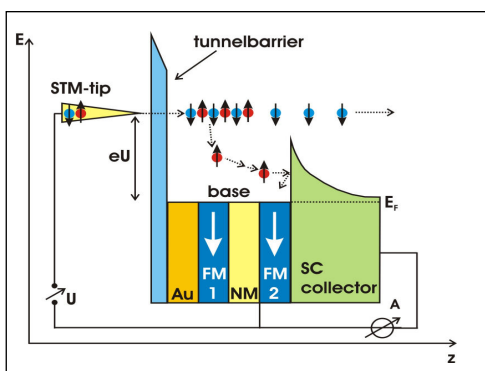
Spin transport in lateral geometries: spin injection and transport



Nature Physics 3, 872 (2007)



Spin transport in perpendicular geometries: spin injection and scattering



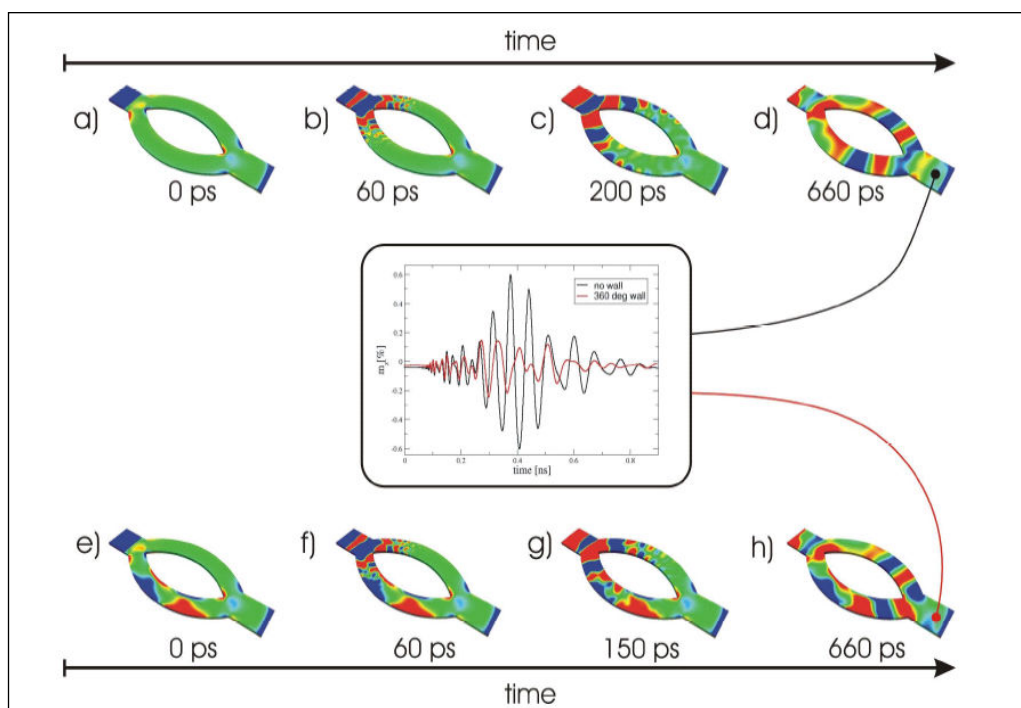
Phys. Rev. B 75, 073307 (2007)



In these cases **charge** is needed to transport **spin** information !



Can we use **spin waves** to transport information, create switches, phase shifters ...

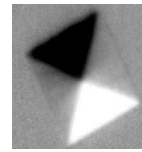
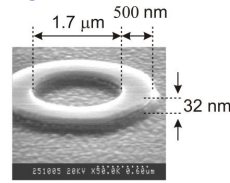
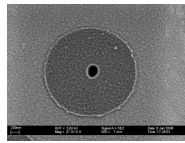
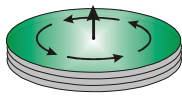


R. Hertel et al. Phys. Rev. Lett. **93**, 257202 (2005)

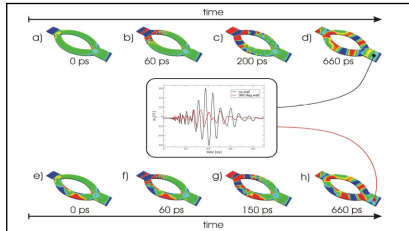


What do we need to know ?

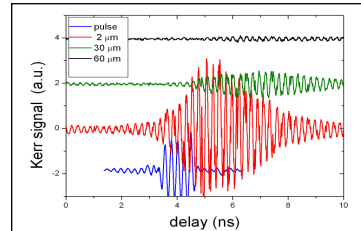
Mode structure of simple ferromagnetic elements in the single domain and multidomain state



Properties of propagating (magnetostatic) spin waves

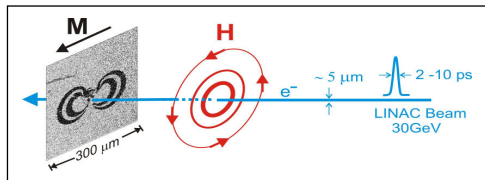


Phys. Rev. Lett. **93**, 257202 (2005)

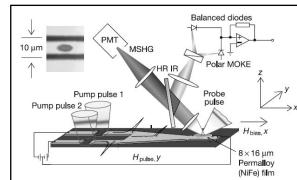


Phys. Rev. B **77**, 054425 (2008)

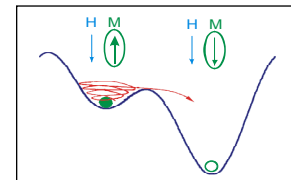
Strategies for switching on ps timescales



Science, **285** 864 (1999)



Nature **418**, 509 (2002)



Phys. Rev. Lett. **99**, 227207 (2007)

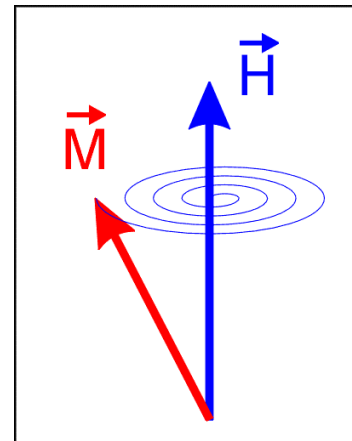
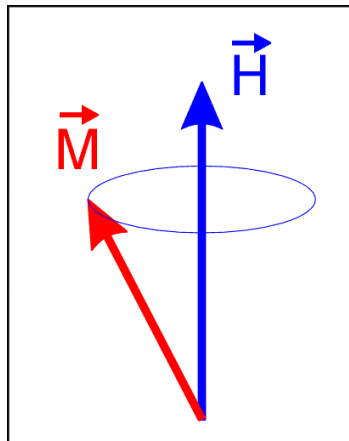


Landau-Lifshitz Equation:

$$\frac{d\vec{M}}{dt} = -\gamma_0(\vec{M} \times \vec{H}_{eff}) - \alpha \frac{\gamma_0}{M} \left[\vec{M} \times (\vec{M} \times \vec{H}_{eff}) \right]$$

$$\vec{H}_{eff} = -\frac{\partial E}{\partial \vec{M}}$$

γ_0 : gyromagnetic ratio
sets the time scale



The energy landscape:

Zeeman-Energy E_z

$$E_z = -J_s \int \vec{H}_{\text{ext}}(\vec{r}) \cdot \vec{m}(\vec{r}) dV$$

Exchange-Energy E_{ex}

$$E_{\text{ex}} = A \int (\text{grad } \vec{m}(\vec{r}))^2 dV$$

Anisotropy-Energy E_{an}

$$E_{\text{an}} = \int \varepsilon_{\text{an}}(\vec{m}) dV$$

Stray field-Energy E_d

$$E_d = -\frac{1}{2} \int \vec{H}_d(\vec{r}) \cdot \vec{J}(\vec{r}) dV$$

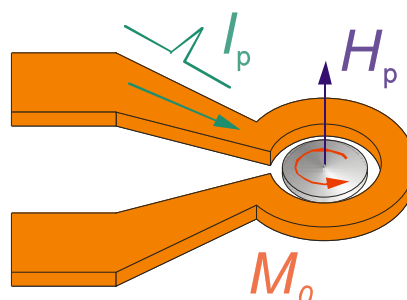


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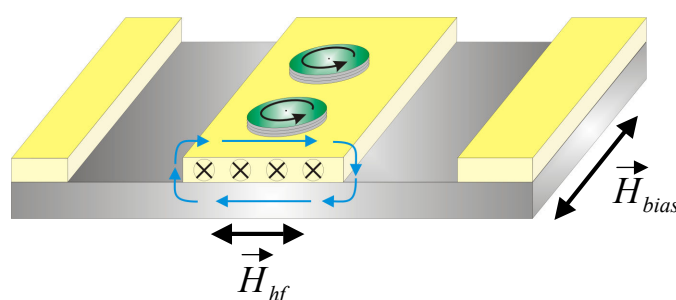
Pulsed Precessional Motion: small angle excitation of the magnetization

(via a magnetic field pulse)

(a) Perpendicular field pulse

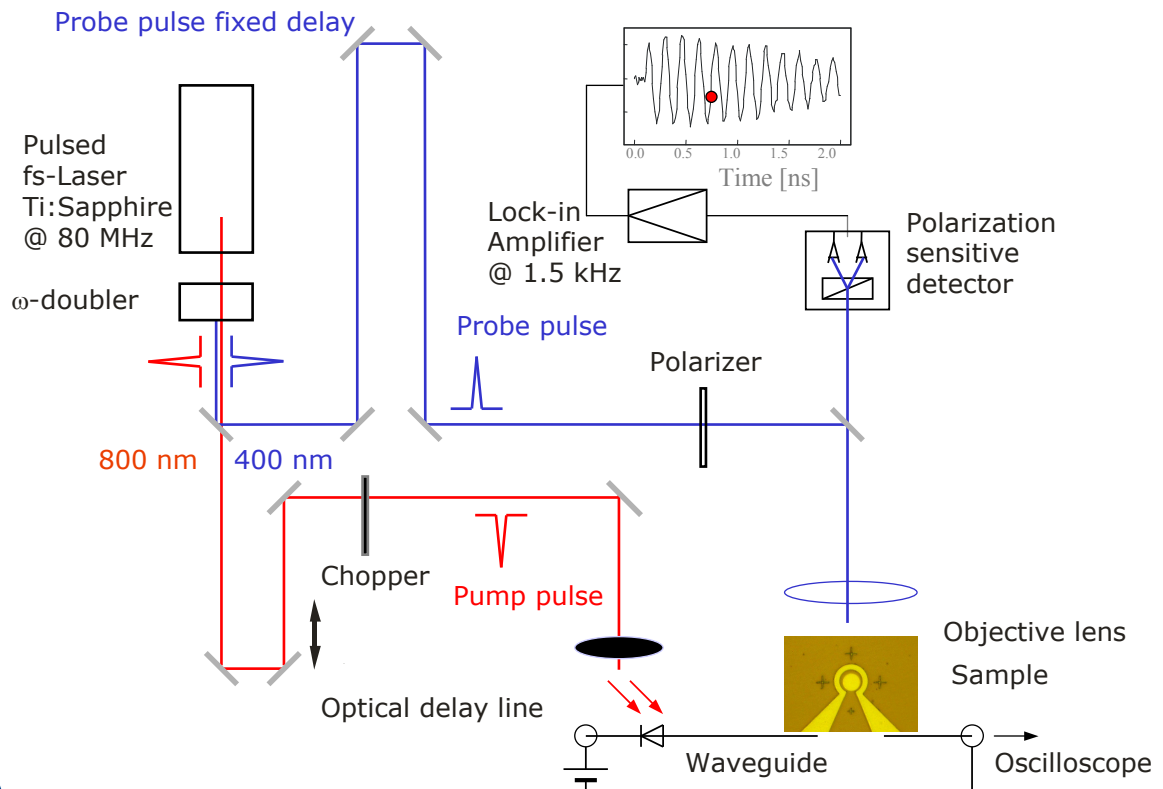


(b) Excitation in the plane



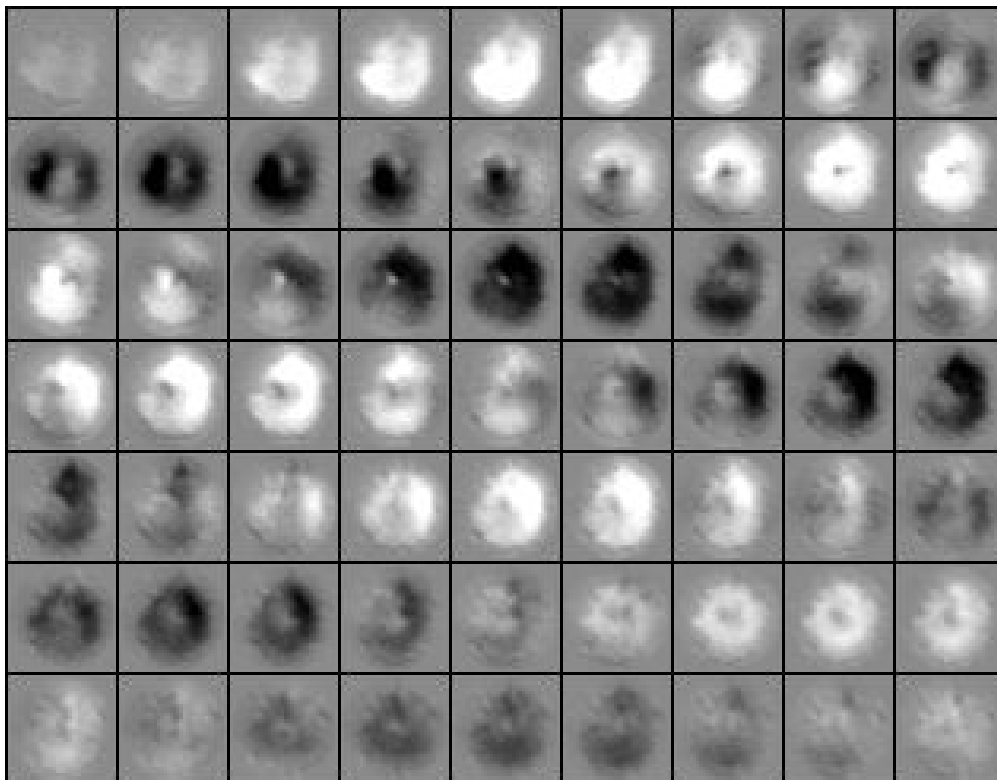
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Time resolved (< 1ps) scanning (~ 300nm) Kerr microscopy



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Time domain movie: polar MOKE

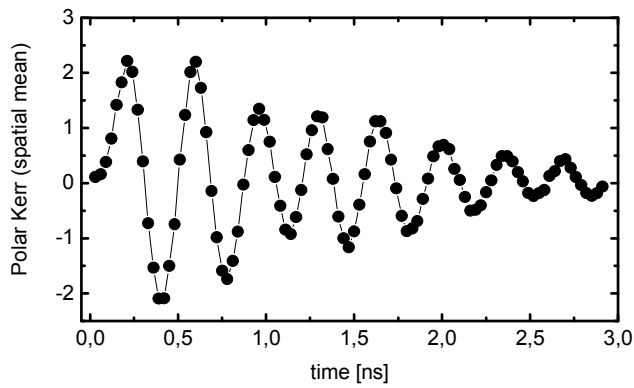


6 micron Permalloy disk, $d = 15$ nm, perpendicular field pulse, 30 ps frame rate



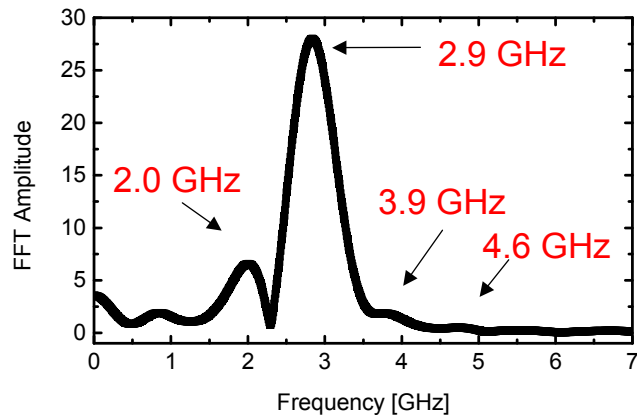
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Polar Kerr data averaged over the whole movie



Time domain

NiFe disks:
 $6\mu\text{m}$ diameter
 $d = 15\text{ nm}$, $\mu_0 M_s = 1\text{ T}$

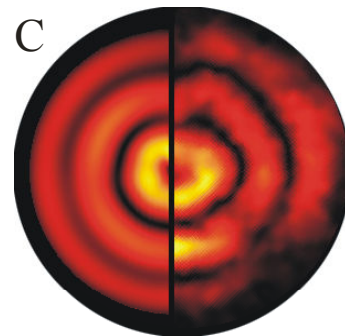
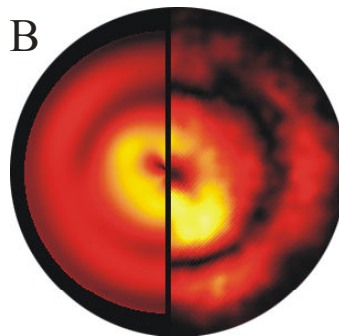
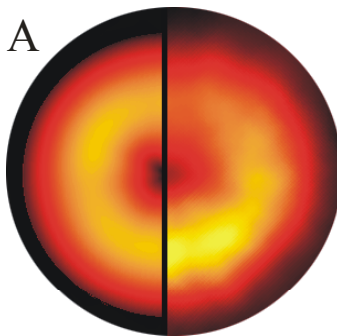


Frequency domain
 Global FFT



Extraction of the **axial** modes from the FFT movie

Amplitude

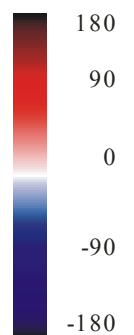
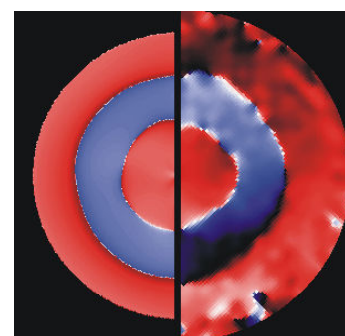
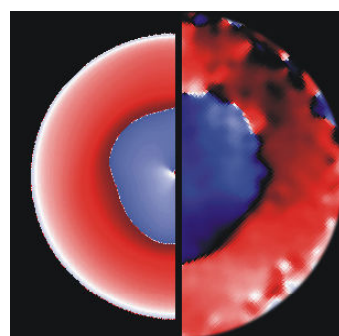
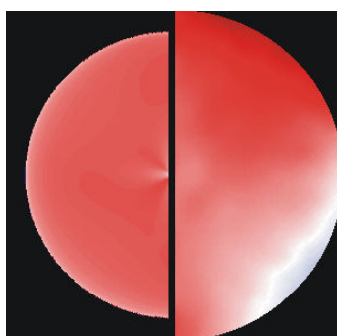


Phase

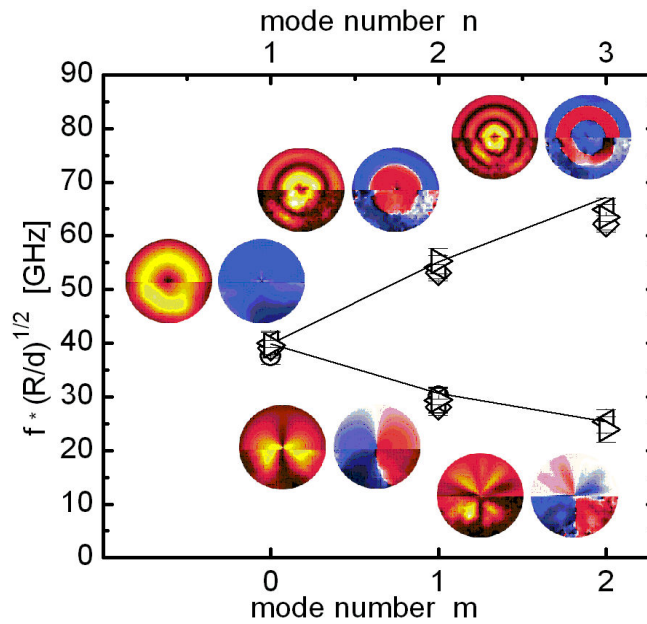
2.9 GHz

3.9 GHz

4.6 GHz



Summary of the normal modes of micron sized disks



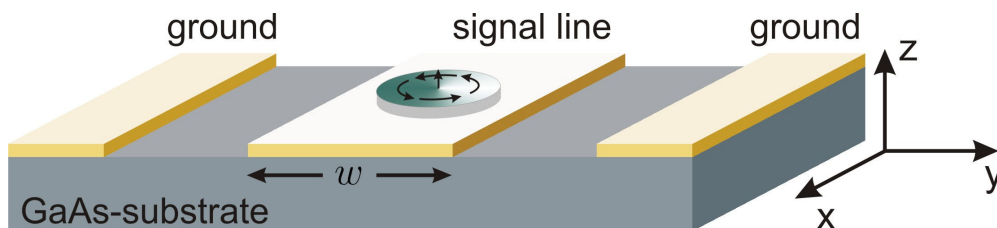
- Y. Acremann et al., Science **290**, 492 (2000)
 M. Buess et al., Phys. Rev. Lett. **93**, 077207 (2004)
 M. Buess et al., Phys. Rev. B **71**, 104415 (2005)
 M. Buess et al., Phys. Rev. Lett. **94**, 127205 (2005)
 I. Neudecker et al., Phys. Rev. B **73**, 134426 (2006)
 F. Hoffmann et al., Phys. Rev. B **76**, 014416 (2007)



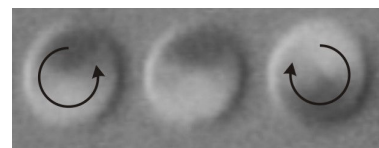
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mode spectrum of a thin film platelet

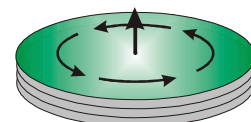
rf-excitation via a coplanar waveguide



NiFe disks:
 15 nm thickness
 $\mu_0 M_s = 1$ T
 size: 4 μ m
 in-plane excitation

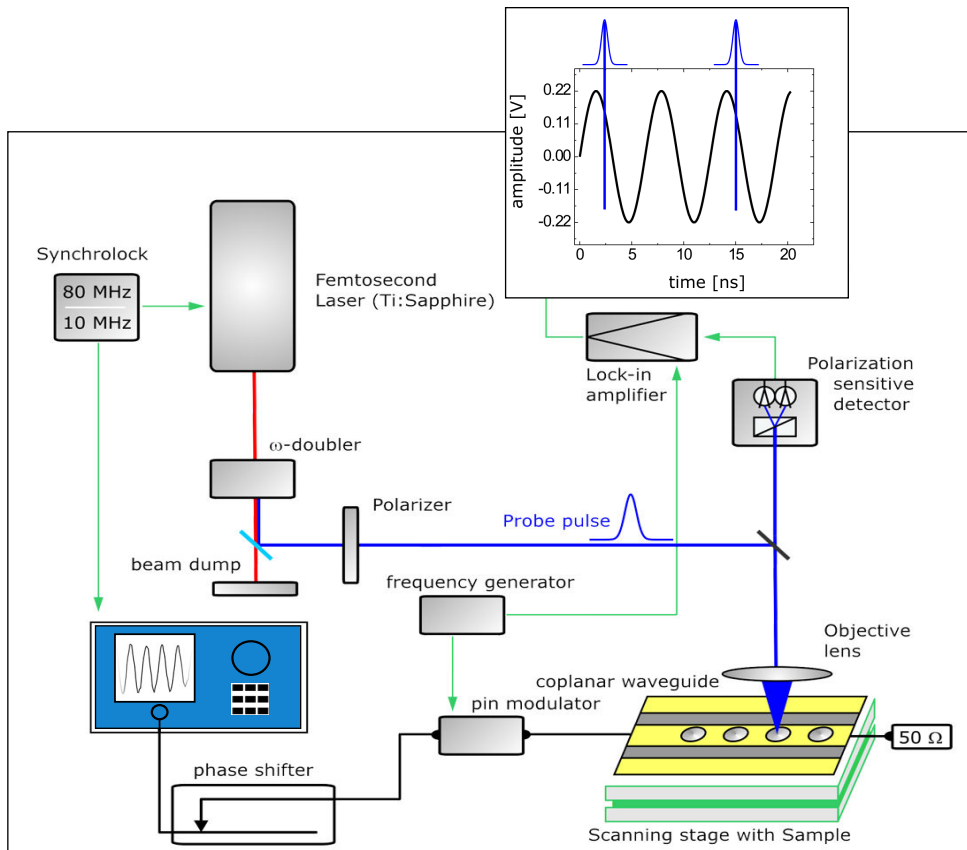


the disks are in a vortex state (flux closure)



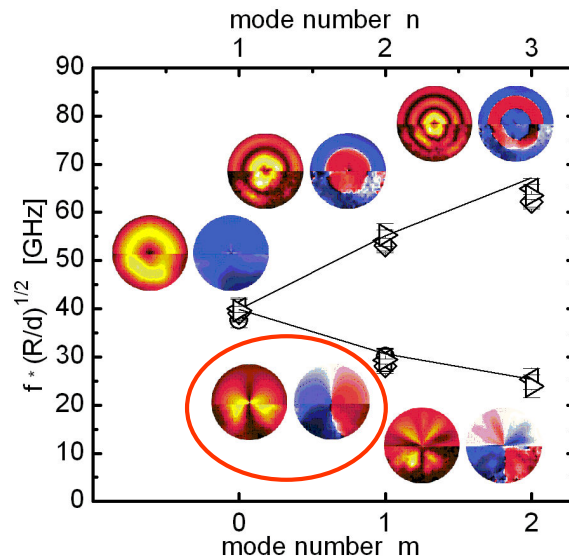
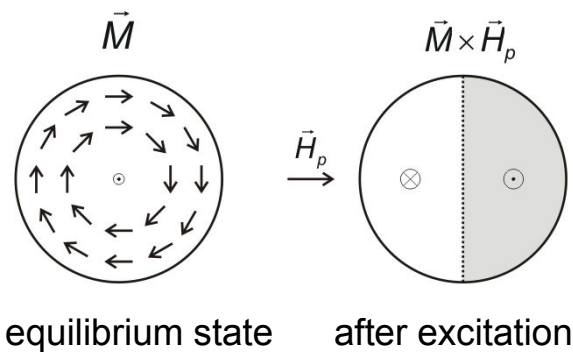
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experimental setup



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symmetry of the excitation

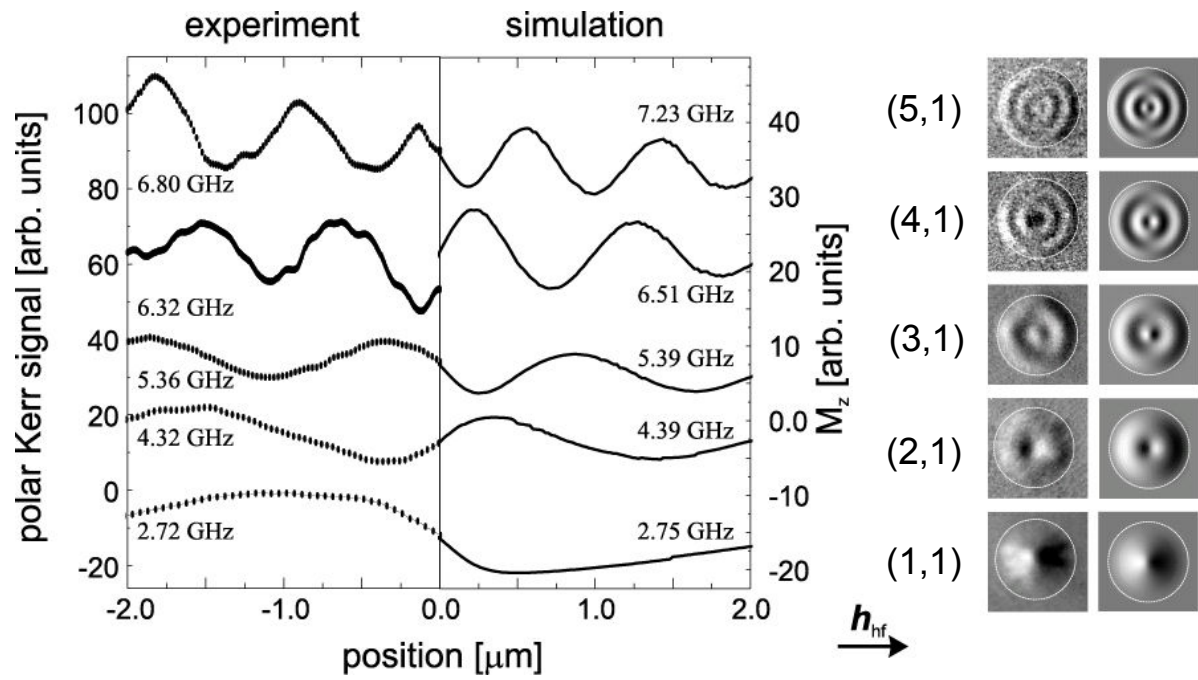


- Y. Acremann et al., *Science* **290**, 492 (2000)
- M. Buess et al., *Phys. Rev. Lett.* **93**, 077207 (2004)
- M. Buess et al., *Phys. Rev. B* **71**, 104415 (2005)
- M. Buess et al., *Phys. Rev. Lett.* **94**, 127205 (2005)
- I. Neudecker et al., *Phys. Rev. B* **73**, 134426 (2006)
- F. Hoffmann et al., *Phys. Rev. B* **76**, 014416 (2007)



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Vortex state: normal modes in zero bias field



The rf-field in the plane
breaks the symmetry



all modes show 1 azimuthal
nodal line

I. Neudecker et al., Phys. Rev. B **73**, 134426 (2006)

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Example II: microwave assisted switching

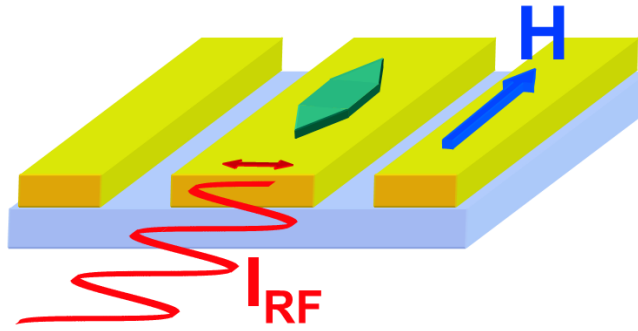
Microwave assisted switching



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microwave assisted switching

What happens if you increase the power ?



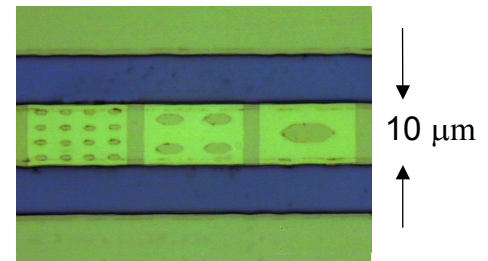
NiFe hexagons:

2 nm thickness

$\mu_0 M_s = 0.9 \text{ T}$

size: $0.7 \times 1.4 \mu\text{m}^2$, $1.5 \times 3.0 \mu\text{m}^2$

in-plane excitation

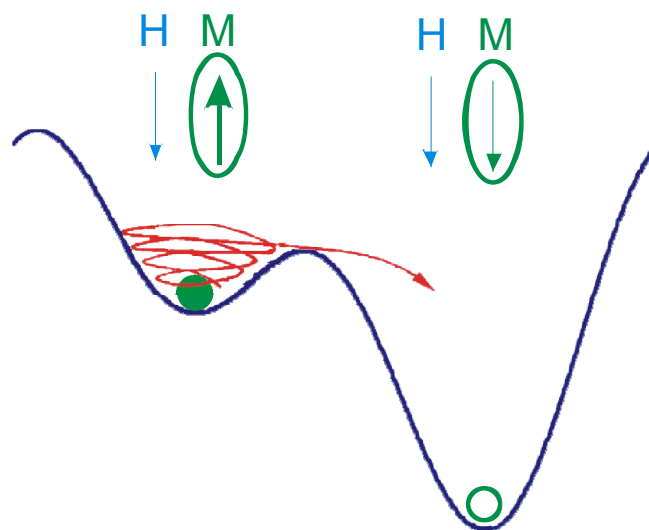


the elements are in a single domain state



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microwave assisted switching



use ferromagnetic resonance to overcome the energy barrier !



C. Thirion et al. Nature Materials 2, 524(2003)

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measurement technique / Kittel plot

sweep the frequency at constant field

Inset:

0.7 x 1.4 μm^2

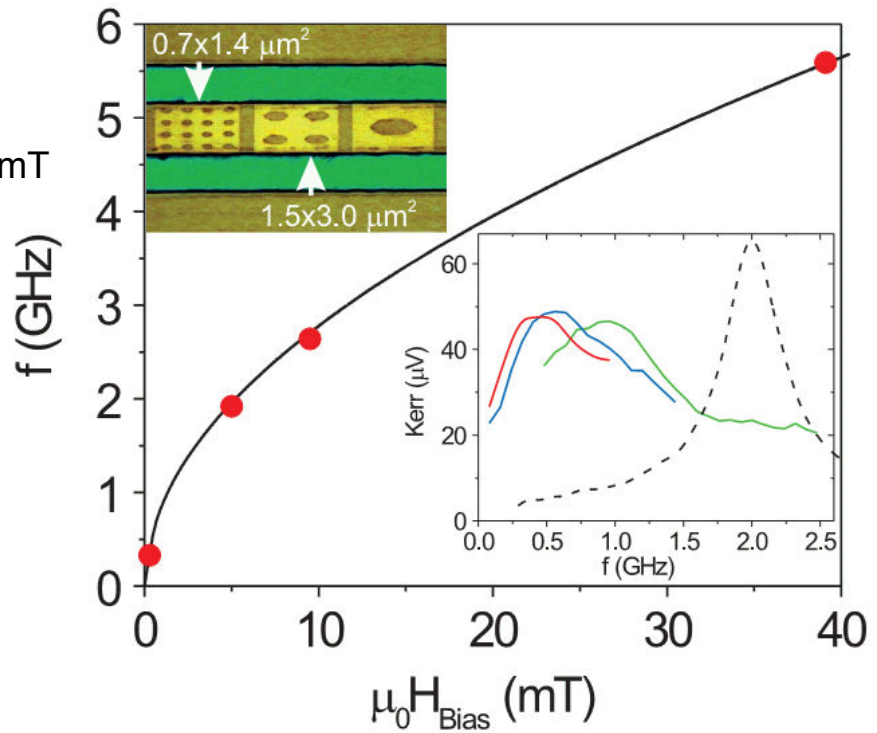
1.5 x 3.0 μm^2

unpatterned

@ 0 mT

dashed line:

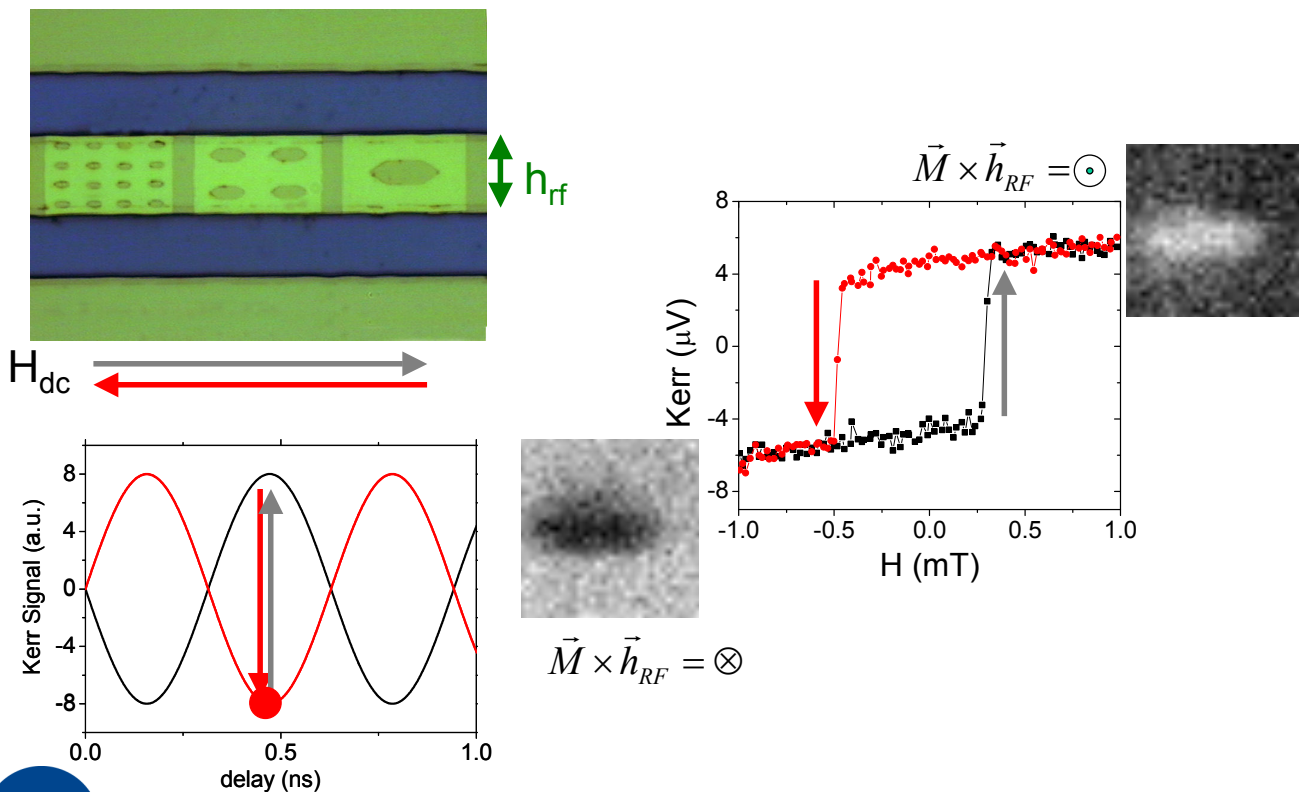
1.5 x 3.0 μm^2 @ 5 mT



Properties of the NiFe film: $\mu_0 H_A = 0.1$ mT, $g = 2.13$, $\alpha = 0.008$, $\mu_0 M_{\text{eff}} = 0.92$ T

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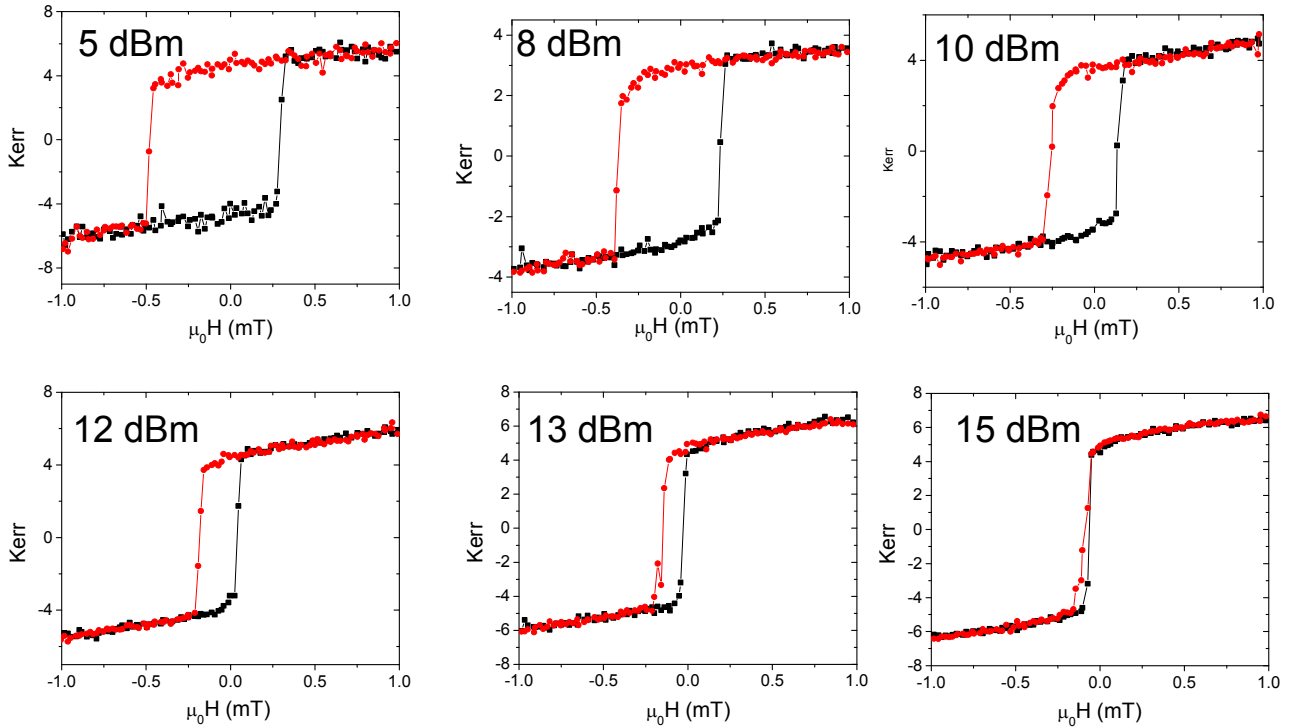
Hysteresis loops of single 1.5 x 3.0 μm^2 elements @ 2 GHz



Measurements are performed far away from resonance

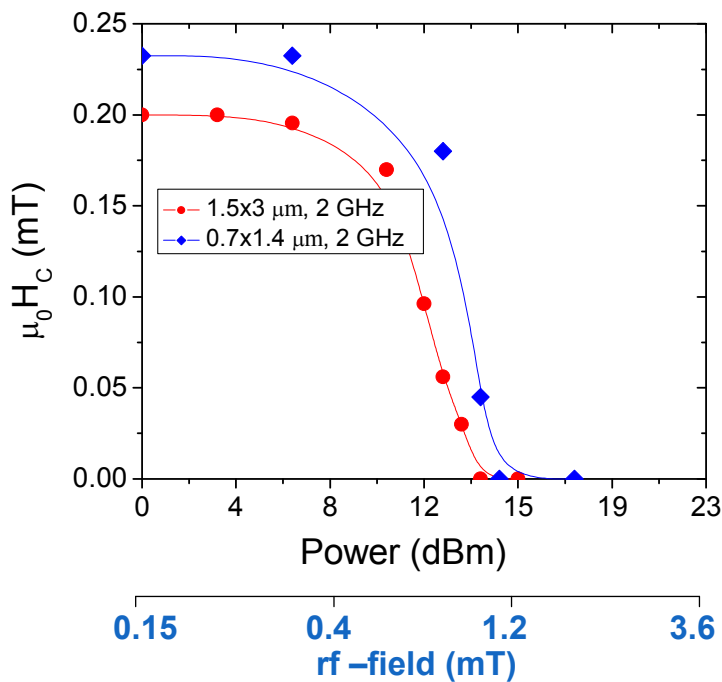
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H_c versus power @ 2 GHz for $1.5 \times 3.0 \mu\text{m}^2$ elements



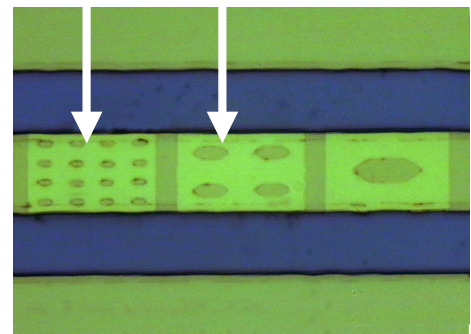
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H_c versus power for two element dimensions



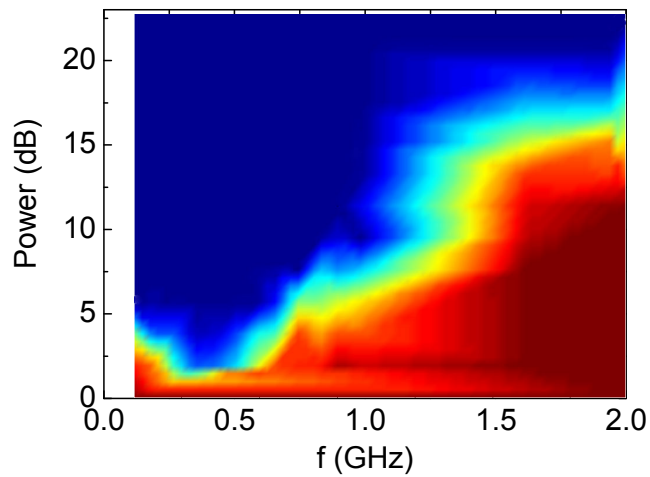
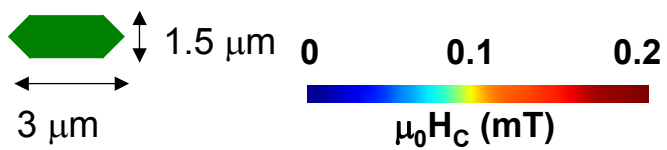
excitation at 2 GHz

$0.7 \times 1.4 \mu\text{m}^2$ $1.5 \times 3 \mu\text{m}^2$

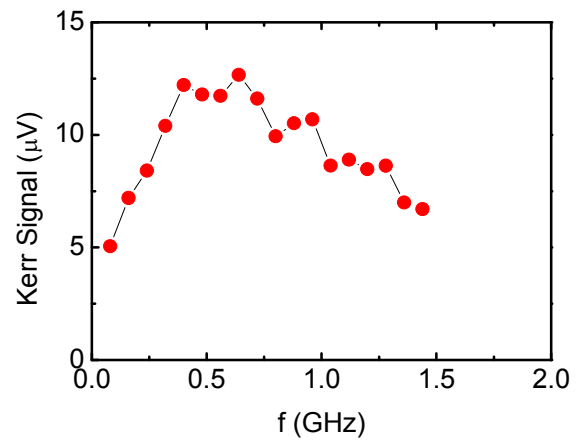


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H_c as a function of power and frequency



Frequency scan $H_B=0$, $P=0$ dBm



minimum H_c at the resonance frequency of the element!



Institut für Experimentelle und Angewandte Physik

Phys. Rev. Lett. **99**, 227207 (2007)

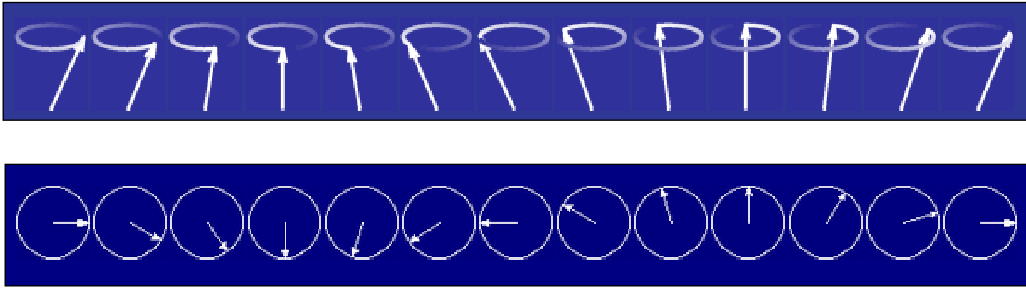
Spin wave interference

Imaging spin wave propagation



Institut für Experimentelle und Angewandte Physik

What makes spin waves in thin films special ?



non-uniform Eigenmodes of the magnetic system, described by the LLG equation

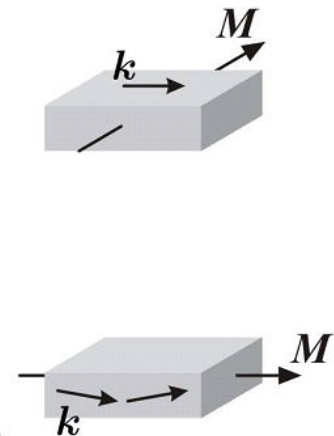
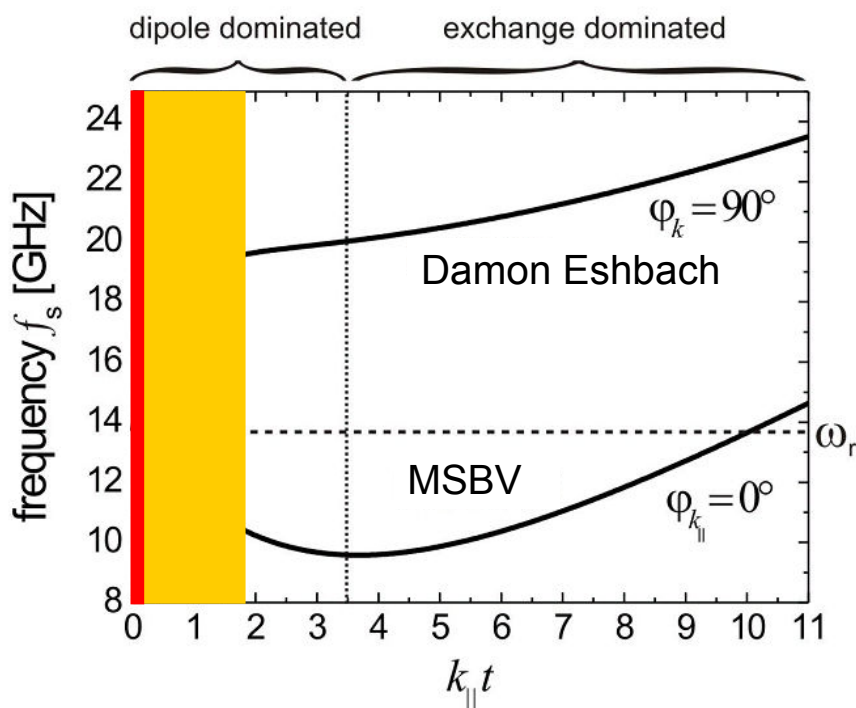
Two types of energy contributions

- exchange energy:
generated by twist of neighbored spins
- dipolar energy:
generated by magnetic poles in long-wavelength spin waves



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spin wave spectrum of a thin film



Institut für Experimentelle und Angewandte Physik

Group velocity $v_g = \frac{d\omega}{dk}$

very different for DE and MSBV modes at low k-vectors

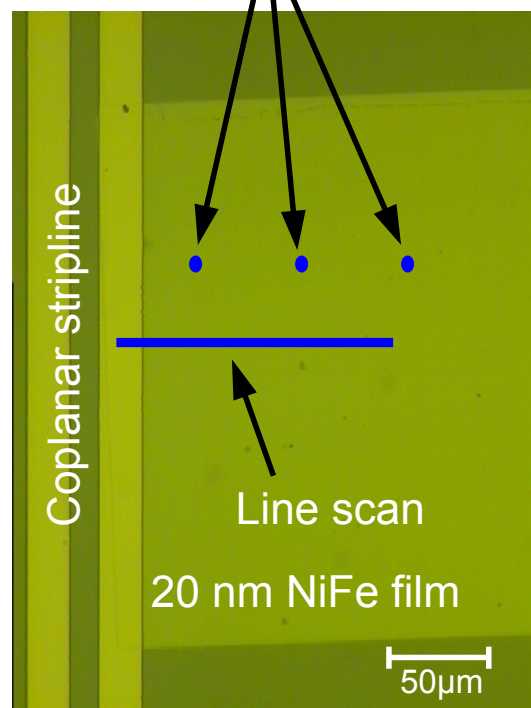
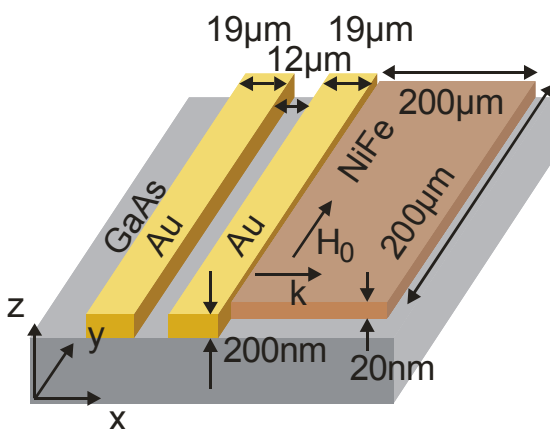
Phase velocity $v_{Ph} = \frac{\omega}{k}$

similar for DE and MSBV modes at low k-vector



spin wave propagation in a thin film

Resonance measurements

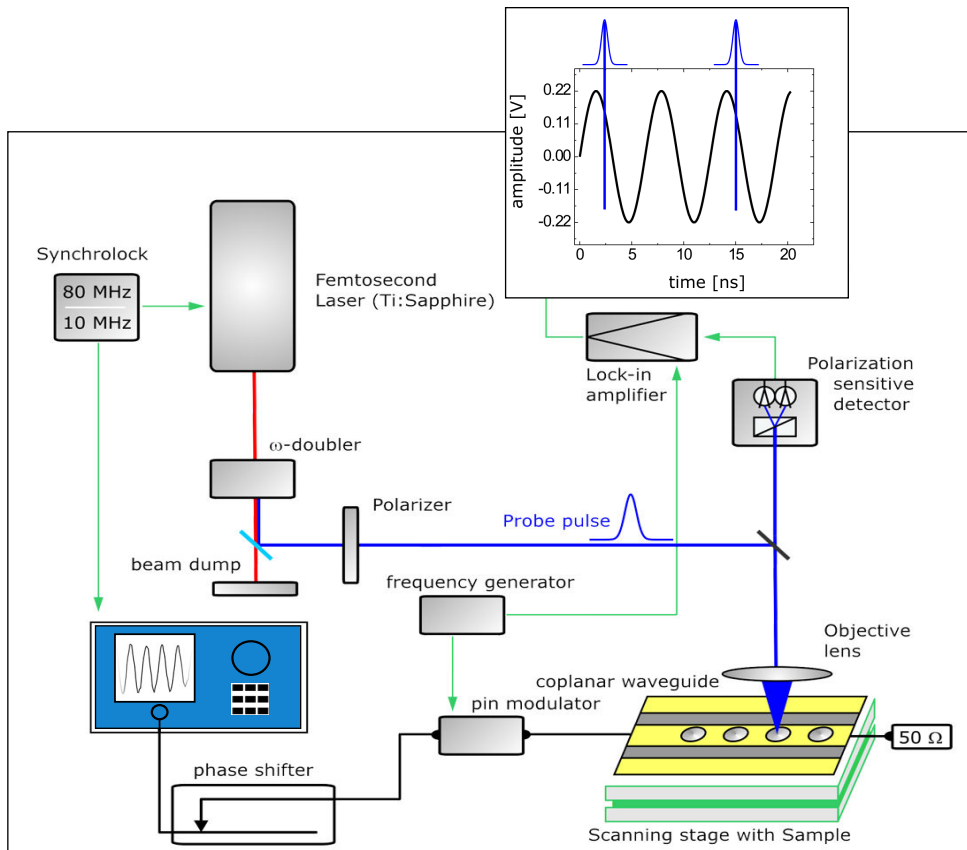


Resonance Scans: Scan in Time

Linescan: Scan in Time and Position

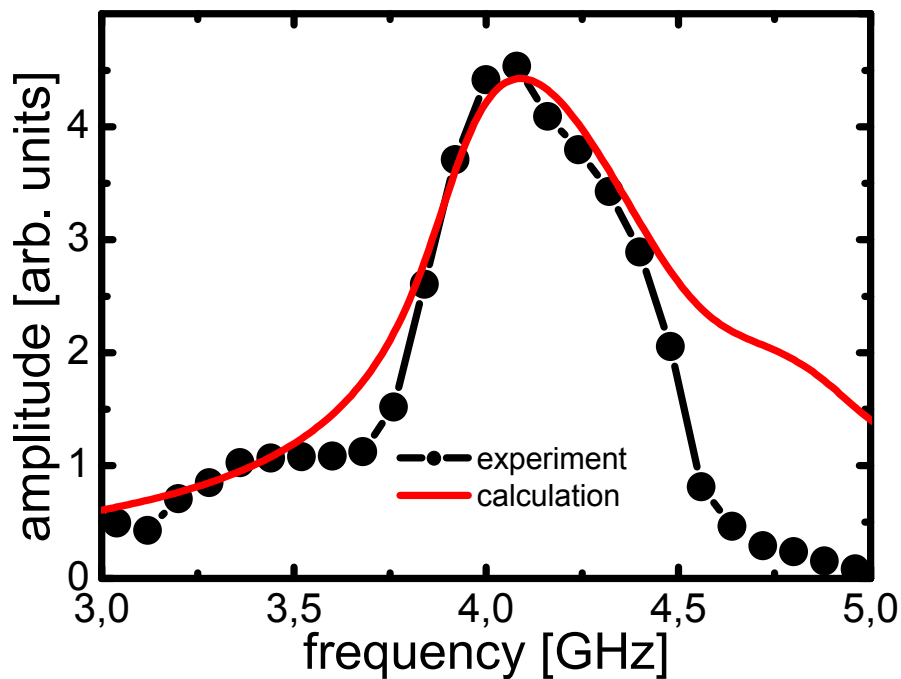


experimental setup



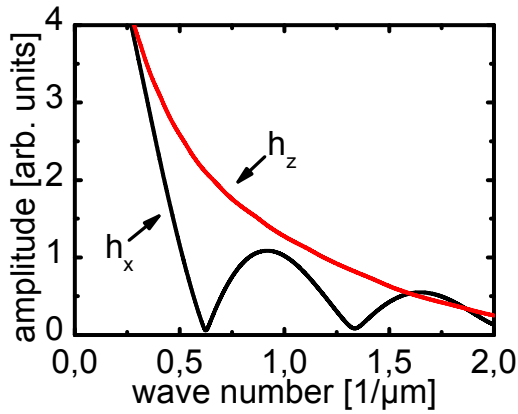
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measurement of the excited wave vector



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realistic calculation of the magnetic response



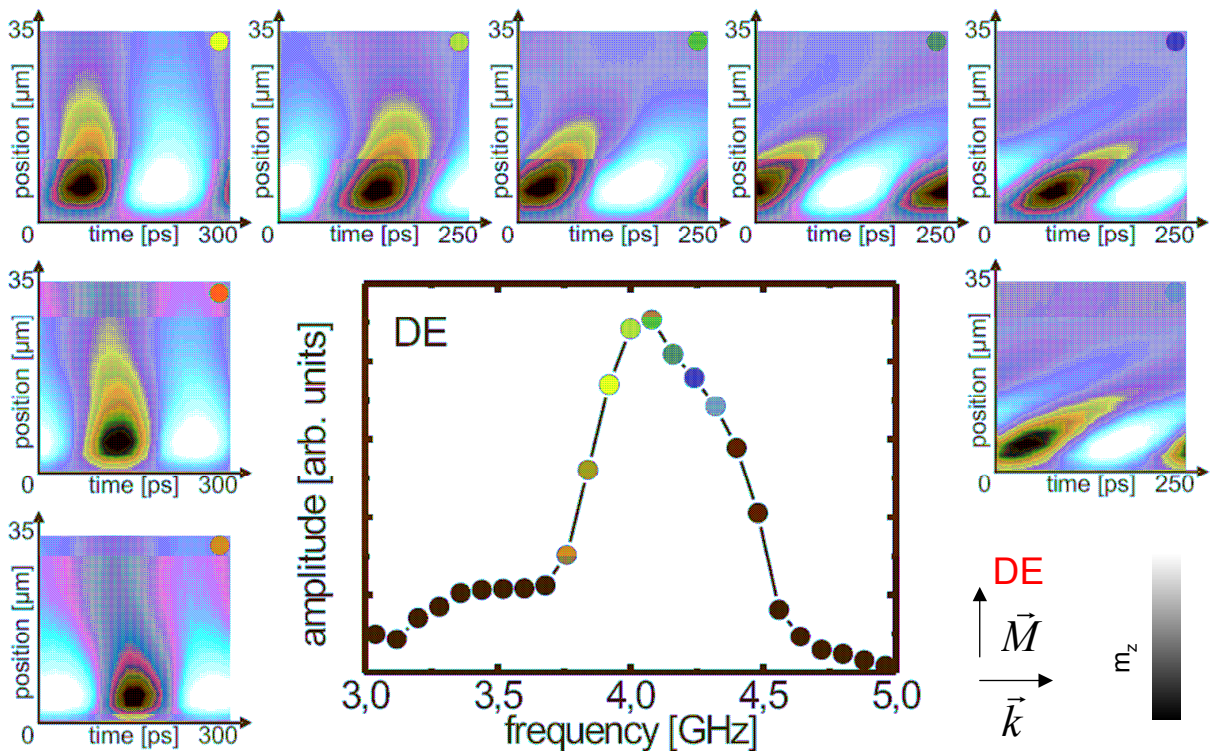
$$m_z^0(f_0) = \int_k h_j(k) \chi_{zj}(f_0, k)$$

$$\chi_{zx}^{DE} = \frac{-i \frac{\omega}{\mu_0 \gamma} M_s}{\left(\frac{2Ak^2}{\mu_0 M_s} + M_s \frac{1-e^{-kd}}{kd} + H_0 - i\alpha \frac{\omega}{\mu_0 \gamma} \right) \left(\frac{2Ak^2}{\mu_0 M_s} + M_s \frac{kd-1+e^{-kd}}{kd} + H_0 - i\alpha \frac{\omega}{\mu_0 \gamma} \right) - \frac{\omega^2}{(\mu_0 \gamma)^2}} e^{-i(kx - \frac{\pi}{2})}$$

$$\chi_{zz}^{MSBV} = \frac{M_s \left(\frac{2Ak^2}{\mu_0 M_s} + H_0 - i\alpha \frac{\omega}{\mu_0 \gamma} \right)}{\left(\frac{2Ak^2}{\mu_0 M_s} + M_s \frac{1-e^{-kd}}{kd} + H_0 - i\alpha \frac{\omega}{\mu_0 \gamma} \right) \left(\frac{2Ak^2}{\mu_0 M_s} + H_0 - i\alpha \frac{\omega}{\mu_0 \gamma} \right) - \frac{\omega^2}{(\mu_0 \gamma)^2}} e^{-i(kx + \frac{\pi}{2})},$$

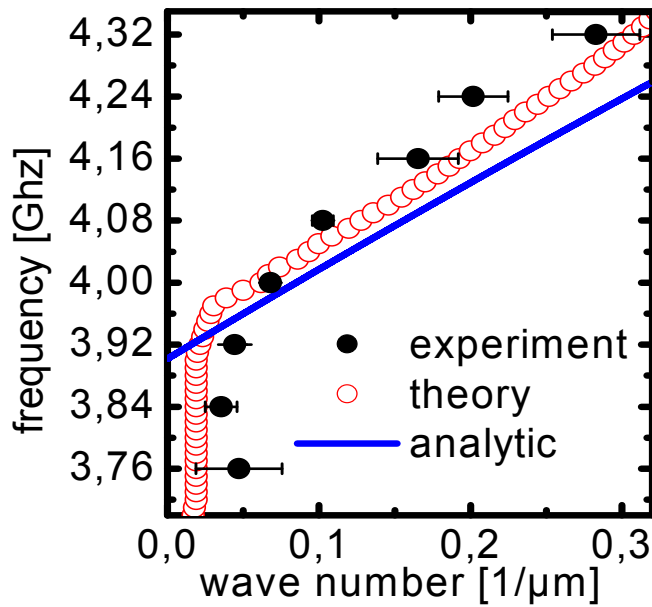


line scans



phase velocity and dispersion relation

DE geometry, H = 190 Oe



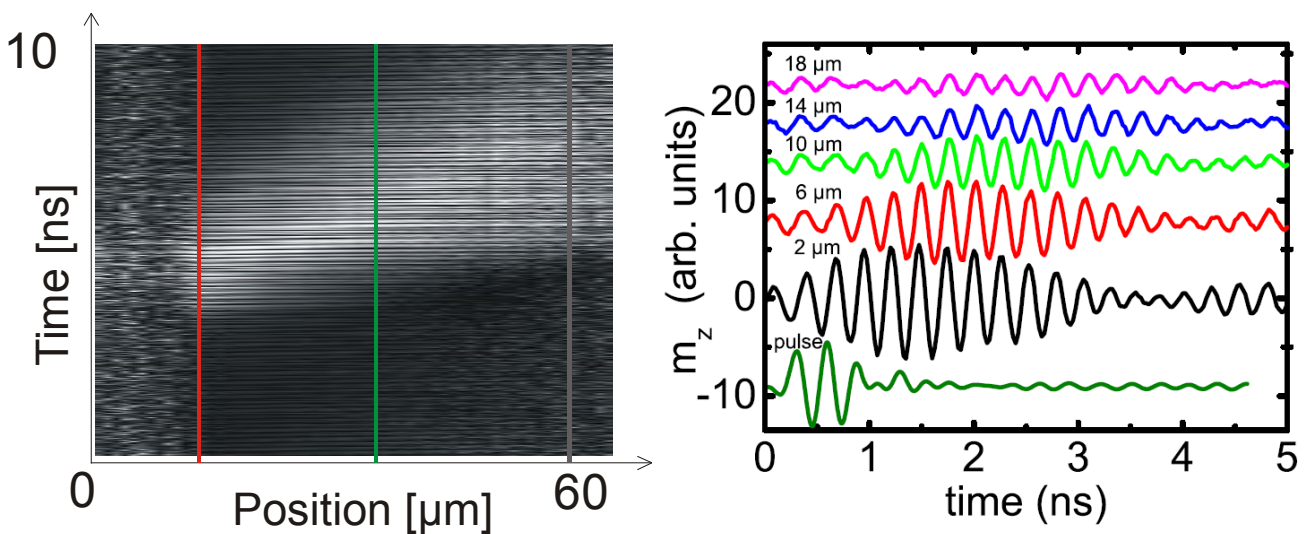
- phase velocity obtained from line scan data
- wave vectors calculated from phase velocities
- dispersion relation is reproduced by the calculation

$$k = \frac{2\pi f}{v_{Ph}}$$



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pulsed excitation (microwave pulses)



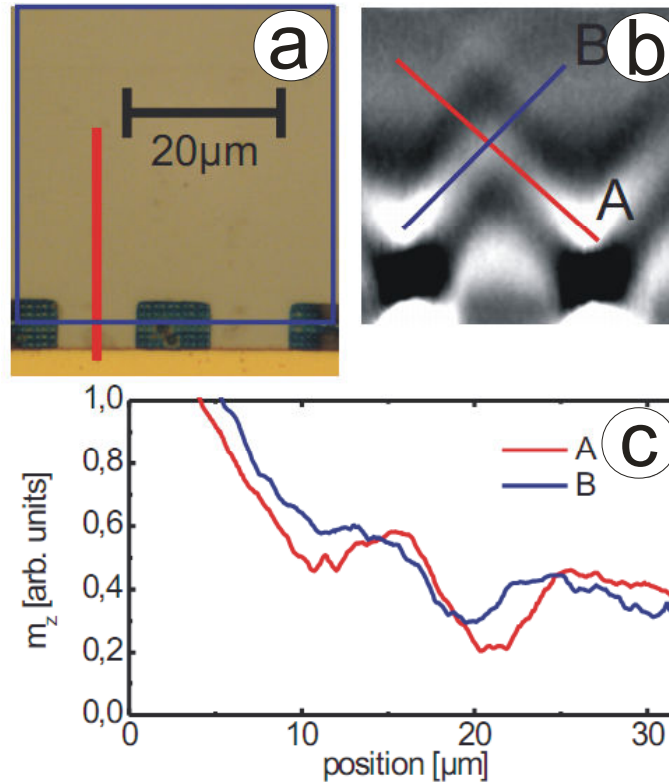
- group velocity as large as 10 micron/ns:
- highest values for DE geometry
- close to zero for BWVM geometry



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Phys. Rev. B 77, 054425 (2008)

interference experiment



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Conclusions

- TR-MOKE allows easy classification of normal modes in confined magnetic structures
- Microwave assisted switching demonstrated

- By observing propagation of spin waves and spin wave packets, phase and group velocities can be „imaged“
- Spin wave interference demonstrated



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